

CosmoGen: A Genetic Algorithm Framework for Exploration of Dark Energy Dynamics

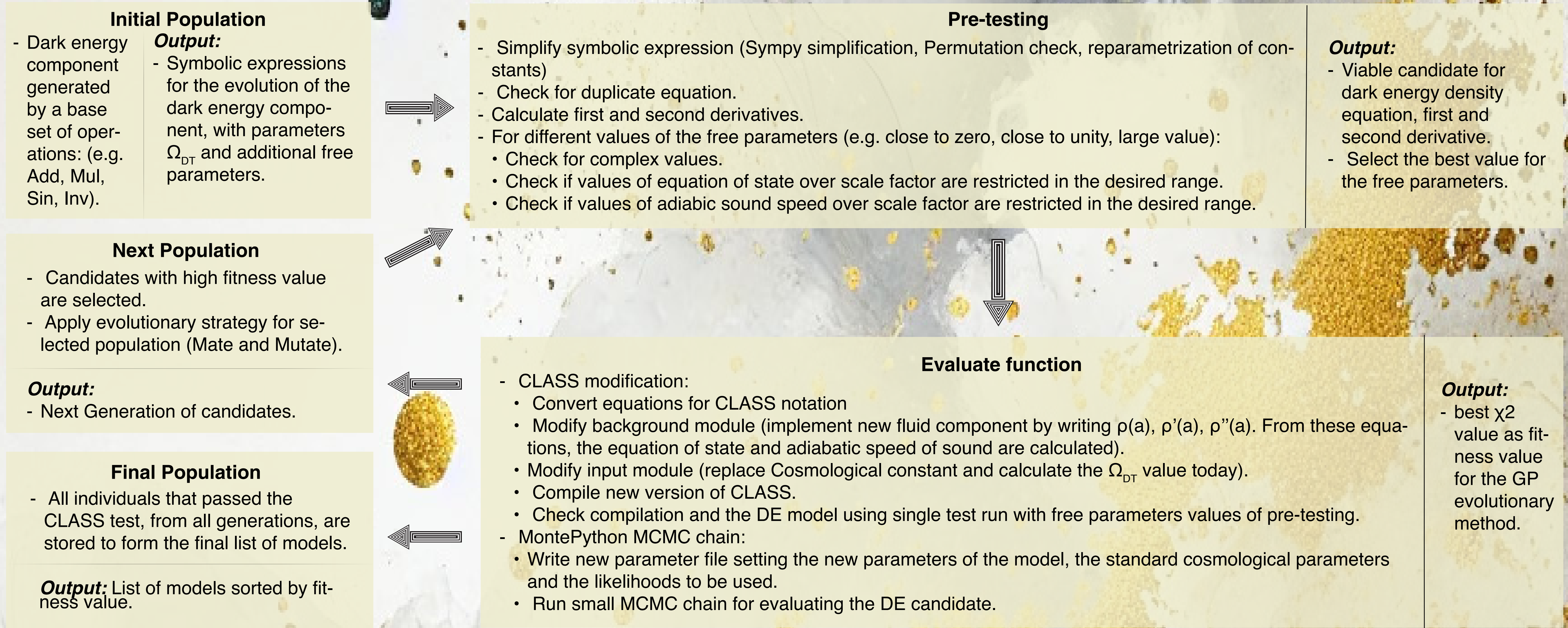
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Abstract

We introduce CosmoGen, a computational framework developed in Python, that implements genetic programming (GP) and genetic algorithms (GA) from the Distributed Evolutionary Algorithm for Search and Optimization (DEAP) library, to generate and evaluate candidate cosmological models with varying dark energy components. The framework integrates the Boltzmann code CLASS and Bayesian inference (MontePython) to evaluate the physical validity of the candidates. We present a case study addressing cosmological tensions. Our approach provides a new method to explore the vast space of potential dark energy models and identify viable candidates based on their dynamical properties.

CosmoGen in a nutshell



Case Study

Ask CosmoGen to generate cosmological models that can alleviate the S_8 and H_0 tensions (and restricted to the case of unperturbed dark energy fluids). To this goal we set-up the following conditions, where a crucial aspect is to set the likelihood used in the procedure to the one of CMB (Planck 2018) multiplied by a H_0 prior (SH0ES) and a S_8 prior (DES)

<p>Population:</p> <ul style="list-style-type: none"> - Size of Initial population: 2048 • Generated by a base set of operations: Add, Sub, Mul, Pow, safe_Div, safe_Inv, Exp, Ln, Neg. • Parameters: Ω_{DT}, D. - Number of generations: 8 - Number of selected candidates by generation (μ): 128 - Number of generated candidates for next generation (λ): 512 - Mate probability: 0.5 - Mutate probability: 0.5 	<p>Pre-testing:</p> <ul style="list-style-type: none"> - Values of D for testing: (0.05, 0.95, 1000). - EoS accepted range: (-1.5, 0). 	<p>Evaluate function:</p> <ul style="list-style-type: none"> - CLASS modification: <ul style="list-style-type: none"> • DE candidate replacing Cosmological constant: $H^2(a) = H_0^2(\Omega_m a^3 + \Omega_\Lambda a^4 + \Omega_{DT}(a))$ • DE component is considered homogeneous. - MontePython MCMC chain: <ul style="list-style-type: none"> • We use the combined likelihoods: CMB Planck 2018 data: Planck_high_l_TTTEEE_lite + Planck_low_l_EE + Planck_low_l_TT + H_0 prior (SH0ES value) + S_8 prior (DES value). • Free parameters: h, D, ω_{cdm}. • Fixed parameters: bestfit value of Planck 2018 for ΛCDM. • MCMC chain with 1200 steps. 	<p>Selected Population and Output:</p> <ul style="list-style-type: none"> - The method used was the ($\mu + \lambda$)-ES: A version of evolution strategy where children and parents together will define the population for the next iteration.
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Results

Top 5 models:

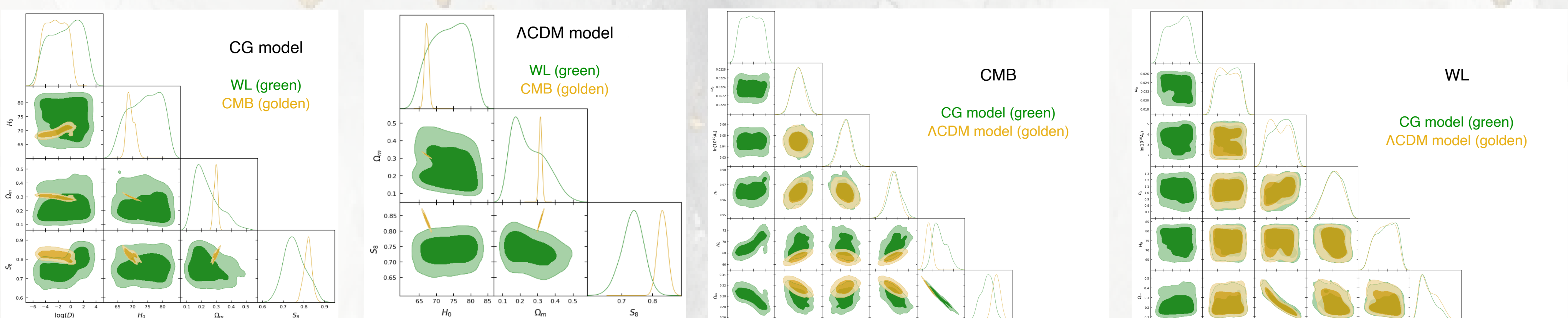
- Model 1: $\Omega_{DT}(a) = \Omega_{DT,0} / (D a - \ln(D a))$
- Model 2: $\Omega_{DT}(a) = \Omega_{DT,0} / (D a^a - a)$
- Model 3: $\Omega_{DT}(a) = \Omega_{DT,0} / (D^3 a^3 - \ln(a))$
- Model 4: $\Omega_{DT}(a) = \Omega_{DT,0} / (D a^{\hat{a}} - a)$
- Model 5: $\Omega_{DT}(a) = \Omega_{DT,0} / (D^3 a^{(a+2)} - \ln(a))$

Analysis of the CosmoGen (CG) model: We select model 1 as the "CG model" to further explore. We computed its structure formation properties and tested them against data, verifying if the model actually has an impact on the H_0 and S_8 tensions as requested to CosmoGen.

We performed a Nested Sampling analysis using PolyChords with the following free parameters: (parameter_D, h , ω_b , ω_{cdm} , A_s , n_s). All other parameters were fixed with the Planck 2018 results for Λ CDM. We tested the model against two observables:

- CMB Planck 2018 data: Planck_high_l_TTTEEE_lite + Planck_low_l_EE + Planck_low_l_TT
- Weak lensing (WL) KiDS+VIKING-450 data.

The exact same analysis was made for the Λ CDM model for the sake of model comparison.



Parameter	Planck		KiDS	
	CG Model	Λ CDM	CG Model	Λ CDM
$\log(D)$	-2.3 ± 1.5	n.a.	$-0.8^{+2.2}_{-2.3}$	n.a.
ω_b	0.02236 ± 0.00015	0.04876 ± 0.00069	$0.0226^{+0.0028}_{-0.0020}$	$0.0401^{+0.0047}_{-0.0081}$
Ω_c	$0.249^{+0.013}_{-0.010}$	0.2582 ± 0.0076	$0.196^{+0.044}_{-0.11}$	$0.207^{+0.085}_{-0.11}$
H_0	$69.4^{+1.2}_{-1.7}$	67.88 ± 0.62	$74.2^{+17.1}_{-4.3}$	$73.8^{+4.4}_{-4.6}$
n_s	$0.9660^{+0.0045}_{-0.0050}$	0.9702 ± 0.0043	$1.03^{+0.17}_{-0.13}$	1.02 ± 0.13
$\ln 10^{10} A_s$	3.0443 ± 0.0061	3.1217 ± 0.0058	$3.46^{+1.3}_{-0.84}$	3.24 ± 0.93
Ω_m	$0.297^{+0.015}_{-0.012}$	0.3084 ± 0.0083	$0.239^{+0.046}_{-0.12}$	$0.253^{+0.066}_{-0.12}$
σ_8	$0.8246^{+0.0059}_{-0.013}$	0.8399 ± 0.0053	0.89 ± 0.16	$0.85^{+0.17}_{-0.22}$
S_8	$0.820^{+0.020}_{-0.018}$	0.852 ± 0.016	$0.757^{+0.045}_{-0.062}$	$0.737^{+0.038}_{-0.031}$
$\ln B_{CG,\Lambda}$	-1.27		-0.99	

Table 1: Mean and 68% uncertainty estimates of the 6 basis parameters and 3 derived parameters for the CG model and Λ CDM models by the 2 data sets. The Bayes factor used for model comparison $B_{CG,\Lambda} = Z(CG \text{ Model})/Z(\Lambda \text{CDM})$ is also shown.

Conclusions: The model generated by CG tries indeed to solve the H_0 and S_8 tensions.

Figs.1 and 2 show a better agreement between the CMB and WL constraints of the CG model in comparison to the constraints of the Λ CDM model. Fig.4 shows this is caused by the CG model allowing higher values of S_8 for lower values of Ω_m (as shown in the S_8 - Ω_m contour). In Fig.3 we see a shift in the H_0 distribution towards higher values. This behaviour allows for a better agreement with H_0 estimates from background observations.